

Kalman-based Moving Object Tracking Using Nonuniform Pulse Transmission Scheme

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Abstract - This paper presents a radio-based real-time moving object tracking method based on Kalman filtering using phase-difference compensation technique and nonuniform pulse transmission scheme. Conventional methods often require time, amplitude, phase information and their derivatives for each receiver antenna, however its location estimation accuracy does not become good even with many transmitting pulses. The present method employs relative phase-difference information and nonuniform pulse generation scheme, which can greatly reduce the number of transmitting pulses while preserving the tracking accuracy. Performance of the proposed method is evaluated in comparison with that of the conventional method.

1. Introduction

Moving object tracking is a significant technique in wireless communication applications like mobile terminal position detection, and now is also applied to many different kind of applications. Sports is one of such applications where the players can be regarded as moving objects, and has nowadays become an immense branch of business especially in football game. Important incidents during a game often cannot be recognized neither by human eye nor with state-of-the-art camera techniques. Therefore the accurate tracking of moving players becomes important for football game analysis.

In this paper, we present a novel, accurate and radio-based moving object tracking method based on Kalman filtering, using phase-difference compensation technique and nonuniform pulse transmission scheme. Performance of the proposed method is evaluated in comparison with that of some conventional methods.

2. Conventional Approach

The system [1] consists of a set of small and lightweight transmitters (objects to be located) and a receiving infrastructure that is set up around the area of interest, which may be the inner part of a football stadium. The miniature transmitters make use of this bandwidth by generating short but broadband signal bursts of pulse-shaped sequences with the time interval dt as in Fig. 1(a).

Suppose that we have L receiver antennas. The conventional system [1] tracks the moving objects based on Kalman filtering with its state vector at the time $t = kdt$:

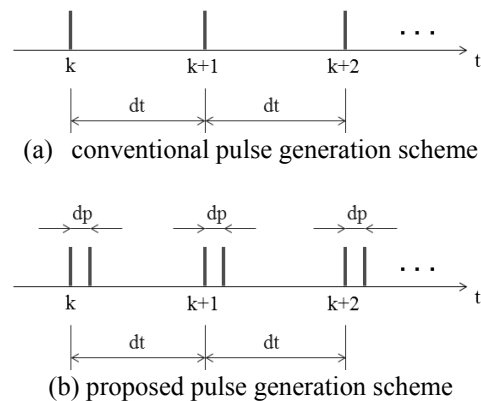


Fig. 1. Pulse generation scheme.

$$\mathbf{x}_{i,k} = [t_{i,k}, M_{i,k}, \phi_{i,k}, \dot{t}_{i,k}, \dot{\phi}_{i,k}]^T, i = 1, 2, \dots, L \quad (1)$$

where $t_{i,k}, M_{i,k}, \phi_{i,k}$ respectively denote the delay time, amplitude and carrier phase, with the two derivatives for delay time $\dot{t}_{i,k}$ and for carrier phase $\dot{\phi}_{i,k}$ at the i -th receiver antenna element. The magnitude and phase terms in (1) are used to suppress multipath components as mentioned in [1].

3. Proposed Approach.

In this section, we describe the proposed tracking method: first the state vector formulation in Kalman filtering, and then the nonuniform pulse generation scheme for phase-difference compensation.

(1) State Vector with Phase-Difference

We newly introduce the phase-difference information into the state vector in Kalman filtering, instead of the absolute phase characteristics of each antenna used in (1). Here we employ the relative phase-difference between antenna elements, and also the delay time index is replaced by the TDOA (time difference of arrival) between antenna elements.

Let $t_{mn,k}$ ($m, n = 1, 2, \dots, L, m < n$) denote the TDOA between the antennas # m and # n . Then we replace the derivative $\dot{t}_{mn,k}$ by the relative phase-difference information. To estimate $t_{mn,k}$, the state vector in (1) can be modified into

$$\mathbf{x}_{mn,k} = [t_{mn,k}, \Delta\phi_{mn,k}, \Delta\dot{\phi}_{mn,k}]^T \quad (2)$$

where $\Delta\phi_{mn,k}$ is the relative phase-difference between the m -th and n -th antenna elements during the time from $(k-1)dt$ to kdt .

