

Using Multi-Slice Modularity Partitions to Characterize fMRI Data

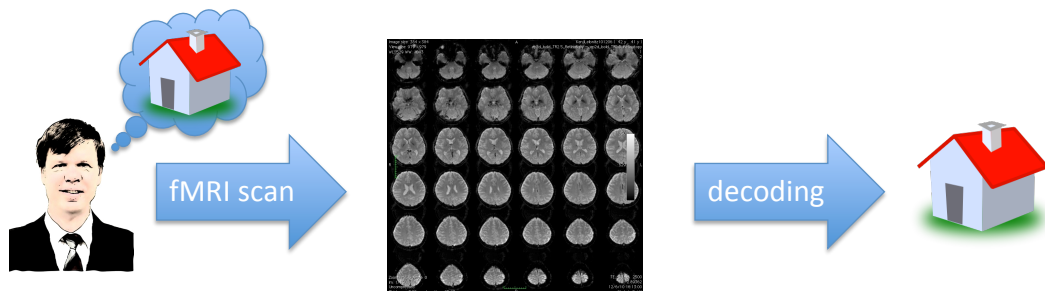
マルチスライスモジュール分割によるfMRIデータの特徴付け

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Motivation

- Goal of neuroscience is to help understand the organization of the brain → possibility of classification based on brain measurement data (“brain decoding”)



- Recent studies have been utilizing network science for high-level abstraction and evaluation of brain network graphs
- Modularity structure (communities) particularly important: modules contain nodes with similar functionalities

Modularity in Networks

- Modularity characterizes possible divisions of networks with high connectivity within modules and less between modules compared to null model (random network)
- Modularity quality function* by Newman (PNAS, 2006)

$$Q = \frac{1}{2m} \sum_{ij} \left(A_{ij} - \frac{k_i k_j}{2m} \right) \delta(g_i, g_j)$$

adjacency

degree

number of links

δ function equals 1 if node i in same module as node j , otherwise 0

- Community structure*: partitioning of nodes that maximizes Q
- Calculation is performed by heuristic algorithm, e.g., Louvain method by Blondel et al. (J. Stat. Mech., 2008)

Multiple Realizations of Communities

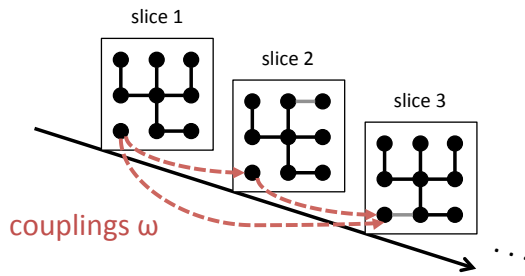
- There are multiple realizations of communities due to:
 - Repetitions from multiple runs (heuristic algorithm)
 - Variations of conditions leading to different partitionings (brain networks from different subjects or different tasks)
- We are interested in the *common modularity structure* for all subjects/repetitions and in *comparing communities* across tasks
- Multi-slice modularity* method introduced by Mucha et al. (Science, 2010) to find time-dependent, scale-dependent, or multiplex structures in communities across slices of networks
 - Generalized version of modularity with adapted Q -function for multiple slices

$$Q = \frac{1}{2\mu} \sum_{ijsr} \left[\left(A_{ijs} - \gamma_s \frac{k_{is} k_{js}}{2m_s} \right) \delta_{s,r} + \delta_{ij} C_{jsr} \right] \delta(g_{is}, g_{jr})$$

resolution

couplings

Multi-Slice Modularity



Each slice may contain the adjacency matrix of a network

- at different points in time
- at different resolutions
- from different subjects
- from a subject performing different tasks

- Couplings must be set depending on type of slices:
 - *ordered* has only couplings of same node between nearest slices (e.g. time, resolution)
 - *categorical* has couplings of same node to all other slices (e.g. subjects, tasks)
- Application to brain networks by Bassett *et al.* (*PLOS Comput. Biol.* 2013) and Cole *et al.* (*Neuron*, 2014)



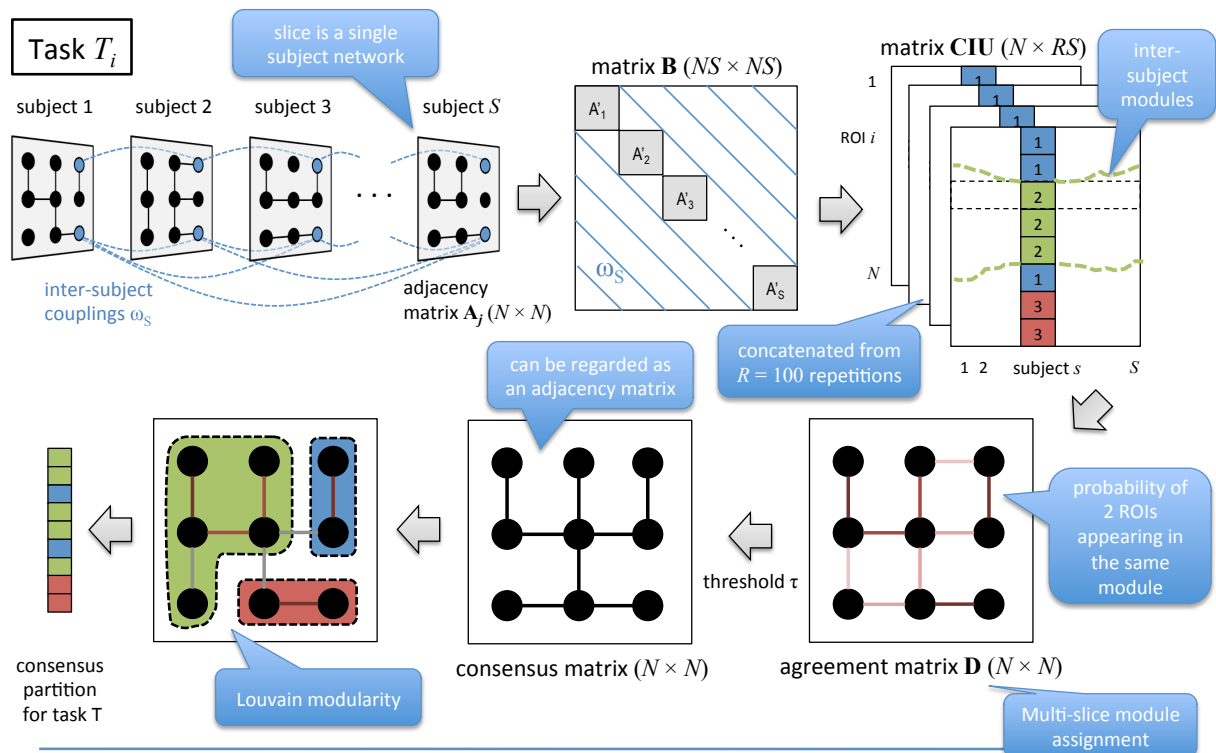
Experimental fMRI Data



- Time series ($T = 300$ scans) from fMRI data for $N = 24$ subjects (14 females, ages 21-37)
- Each subject performs 5 tasks: REST, SONG, COUNT, MEM_P, MEM_N
- Network nodes are *regions of interest* (ROIs) following Power *et al.* (*Neuron*, 2011) with $M = 264$ ROIs
- Two nodes i and j are connected by a link $A_{ij} = 1$, if the correlation coefficient of their time series exceeds the threshold θ , which is set individually for each subject/task that all 264 nodes remain connected

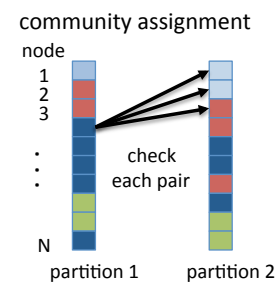


Consensus Partitioning (Single Task)

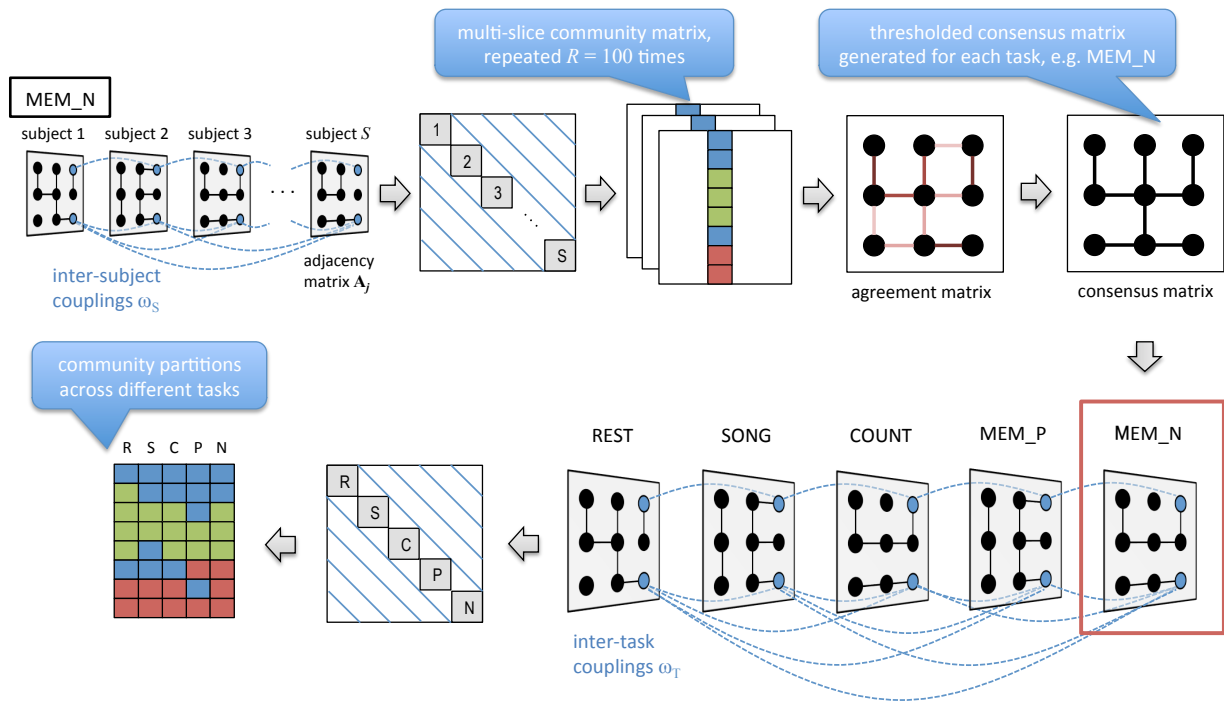


Comparing Partitions

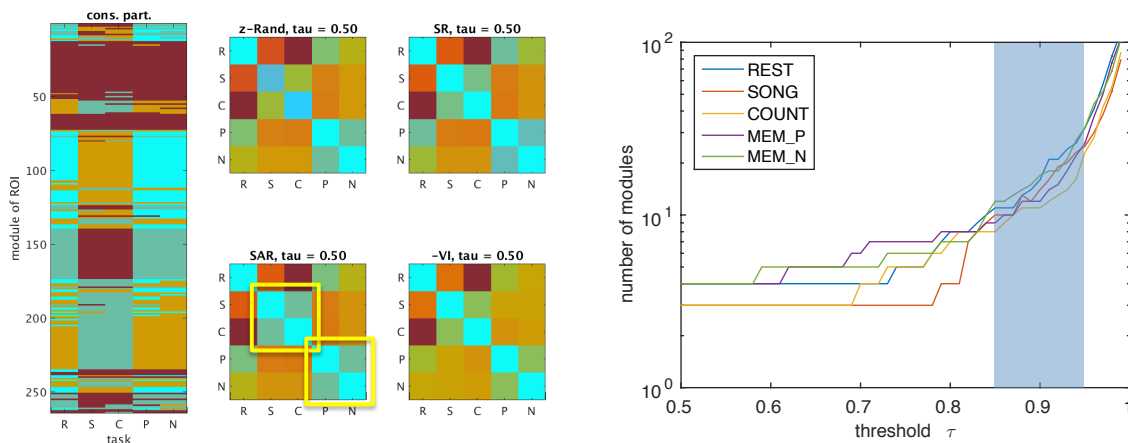
- Strategies for comparing community partitions between tasks:
 - pair counting: Rand coefficient (SR), adjusted Rand (SAR), z-Rand (Traud et al., *SIAM Rev.*, 2011)
 - information-theoretic measure: variation of information (VI) (Melia, *J. Multivar. Anal.*, 2007)
- Comparison of all possible node pairs that fall into same or different partitions, divided by the total number of pairs (similar to consensus mechanism)
- Metrics can be arranged in 5×5 matrix of partition similarities/differences among tasks
- Community structure for each task determined independently $\rightarrow$ multi-slice computation can determine cross-task modules



Consensus Partitioning (Multiple Tasks)

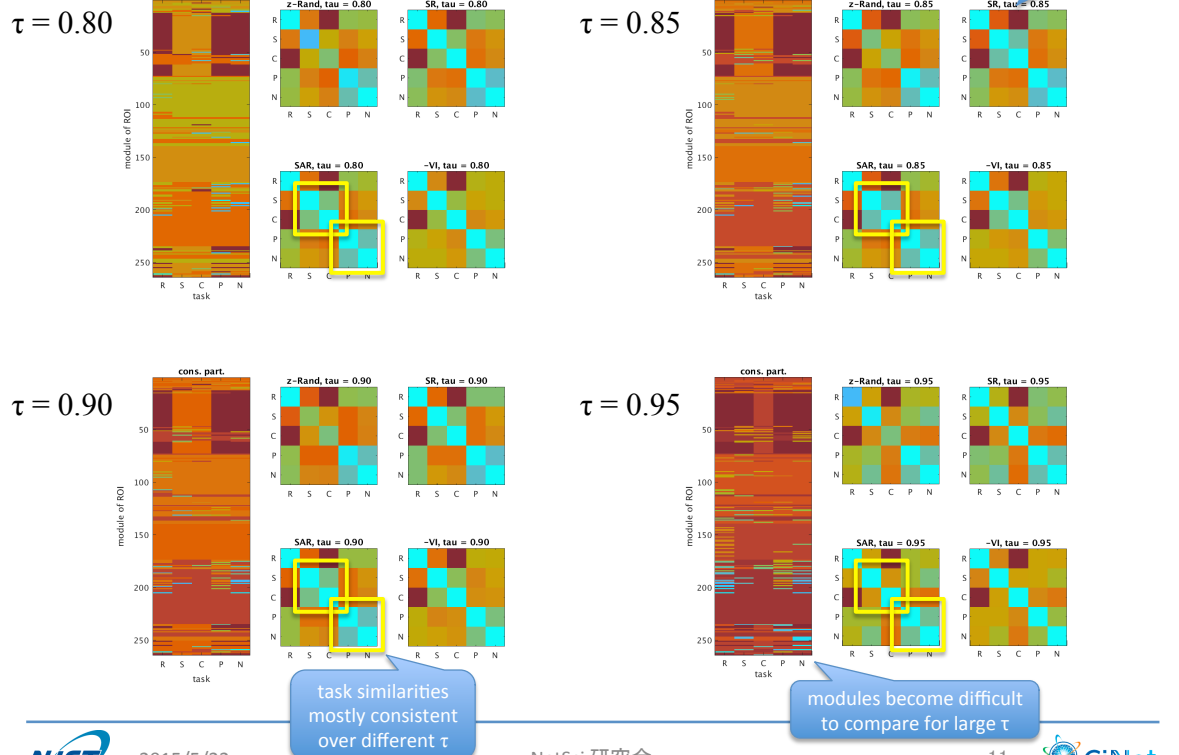


Example Result for $\tau = 0.5$



- All links are binary and all couplings between slices $\omega_S = \omega_T = 1$
- "Best" range of threshold is $0.85 < \tau < 0.95$ leading to around 10 modules per task (too few and too many modules hard to compare)
- All metrics qualitatively show the same partition similarity: MEM_P and MEM_N (+ REST) similar, SONG and COUNT similar

Variation of Threshold τ



Conclusion

- Classification of mental tasks based on complex network measures of brain functional networks from fMRI data
- Multi-slice modularity effective for computing modules across different networks (subjects, tasks, or both)
- Cluster comparison based on pair counting method for showing similarity of partitions
- Considered 5 tasks showed similarities between *unconstrained tasks* (MEM_P, MEM_N, and REST) and *rhythmically constrained tasks* (SONG and COUNT) → Further experiments with additional similar tasks are needed
- Future work includes considering weighted networks and couplings, studying the sensitivity of parameters, and a more thorough neuroscientific investigation of commonalities/differences in communities